Computer Aided Design and Simulation of Radial Fatigue Test of Automobile Rim Using ANSYS

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Abstract: A finite element based method is used to simulate the radial test of an automobile wheel. Besides the certainty of results obtain through practical, computer aided simulation of the wheel, using ANSYS replicates the actual experiments. The fatigue life limit factors introduced by other researchers were used to obtain the stress and fatigue reduction factors which were further used to estimate the S-N curve as the stress-Life method is employed in predicting the fatigue life of a rim. During the static analysis of the steel wheel, it was discovered that the maximum stress concentration occurred at the spokes and ventilation hole of the rim under loads, Fr and pi. It was observed that when the wheel rotates at a speed of 1790 rpm under the stated loads, the fatigue crack propagates at the point of maximum stress concentration.

Keywords: Finite Element analysis, ANSYS, Stress-life, Static analysis, Car rims, Fatigue, Stress concentration, Solidworks

I. Introduction

The wheel is a critical component in the automobile and bears the weight of the car as well as helps the tire to maintain contact between the car and the road. The wheel is exposed to very hazardous environmental conditions. For high and optimal performance, the wheel is designed to meet some safety and engineering criteria. The wheel should be able to withstand the impact of shock and vibrations and be able to bear the weight of the car and the passengers; it should be light in weight but highly durable.

To this effect, the wheel undergoes various tests during manufacturing to ensure that quality wheels that can perform effectively are introduced to the market. Three main wheel tests are used in wheel development and design. These are the: rotating bending test, radial fatigue test, and impact test. They are used to test a prototype wheel for various fatigue and durability considerations.

Fatigue fracture, like yielding, is due to formations of cracks at the microscopic level and lengthened by continued applications of stress. It differs however in the manner the stress is applied. Fatigue fracture is instigated by cyclical stresses on the material, which occurs as a result a process of crack nucleation and pre-existent cracks in a material [1].

The stress instigated during cyclical stress is mostly sinusoidal in nature that is varying with a specific frequency of stress application [2]. Each peak is denoted as either the maximum stress \( \sigma_{\text{max}} \) or minimum stress \( \sigma_{\text{min}} \) which are equal and opposite in sign (tension and compression respectively). The applied stress can be torsional, tensile, or flexural in nature.

Some researchers [3] proposed a biaxial notch strain approximation for proportional loading which was used to estimate the fatigue life of a passenger car wheel during the cornering fatigue test under plane stress conditions. They reported that the analytical results obtained from a computer programme compared to actual test results from the cornering fatigue showed encouraging values.

Lu and Wei [4] used the Cosmos software to build a static load finite element model of bus aluminium HS6061-T6 rims which was used to simulate the rotary fatigue test. The results showed that the rim life cycle was improved to over 1.0 x 105, indicating that the proposed method of finite element analysis was a good and efficient method to predict the fatigue life of the aluminium rims.

Other researchers [5] used the ABAQUS software to build a static load finite element model of aluminium wheels for simulating the rotary fatigue test. They reported that the results from the aluminium wheel rotary fatigue bench test showed that the failure and its crack initiation was around the hub bolt hole area that agreed with the simulation.

The present work presents a clear method of modeling the automobile rim using Solidworks and a systematic simulation of the stress, bending and radial fatigue test of the rim.
II. Analysis

II.1. STATIC STRESS ANALYSIS
To obtain the fluctuating stress a static stress analysis is conducted. The stress distribution on the wheel is due to the radial test load \( (F_r) \) and the predicted tire pressure \( (P_i) \). It was reported that fatigue stress obtained from static stress analysis is reliable [6]. In this work ANSYS Workbench is used for this static analysis.

II.1.1. Rim Size Designation And Cad Model
The wheel specification is as summarized in Table 1. The mathematical model here refers to the CAD model of the rim. For better analysis, the wheel is modeled using a CAD software, Solidworks, using different features ranging from revolve features, sweep features, extrude boss base and extrude cut, fillet and surface features. To model the wheel a picture sketch was used. This was to ensure that the actual shape of the rim is used while modeling so as to reduce errors. Figure 1 is the CAD model of the rim.

<table>
<thead>
<tr>
<th>S/No</th>
<th>Specification</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Rim Width</td>
<td>215.9 mm</td>
</tr>
<tr>
<td>2</td>
<td>Wheel Diameter</td>
<td>480 mm</td>
</tr>
<tr>
<td>3</td>
<td>Offset</td>
<td>128 mm</td>
</tr>
<tr>
<td>4</td>
<td>Pitch Circle Diameter(P.C.D)</td>
<td>110 mm</td>
</tr>
<tr>
<td>5</td>
<td>Centre Base Diameter (CBD)</td>
<td>70</td>
</tr>
<tr>
<td>6</td>
<td>Rim thickness</td>
<td>7</td>
</tr>
<tr>
<td>7</td>
<td>Bolt diameter</td>
<td>10</td>
</tr>
<tr>
<td>8</td>
<td>Number of bolt holes</td>
<td>5</td>
</tr>
<tr>
<td>9</td>
<td>Ventilation holes diameter</td>
<td>60</td>
</tr>
<tr>
<td>10</td>
<td>material</td>
<td>5335MC alloy steel</td>
</tr>
<tr>
<td>11</td>
<td>Manufacturing process</td>
<td>Flow forming process</td>
</tr>
</tbody>
</table>

Figure 1.Solidworks production of the Automobile Rim

2.1.2 Preprocessor Stage of Static Study
The mathematical modeling was established by importing the CAD file of the rim that was modeled with Solidworks to ANSYS workbench. The data, rim material specification, was inputted and all necessary editions were made. The CAD model of the rim was then imported to ANSYS as an IGES file format. The CAD model and data input is shown in Figure 2.
2.1.3 Discretization of the Mathematical Model

The ANSYS workbench uses a finite element method to discretize the model into finite elements. Finer mesh size was used; a mesh size of 10mm (0.01m). SOLID 187 10 node tetrahedral is the element used for the analysis. The element is defined by 10 nodes having three degrees of freedom at each node: translations in the nodal x, y, and z directions. In meshing the rim, a smooth transition inflation option is used, with transition ratio of 0.272 and growth rate of 1.2. A total of nodes and elements are created for this mesh. A patch conforming method is also used. Figure 3 shows a discretized rim from the ANSYS workbench.

2.1.4 Boundary Conditions

In the experimental set-up used in the industry that is been mimicked by this simulation, two boundary conditions were applied. These initial boundary conditions are the number of degree of freedom (DOF) at the holes where the rim is assembled to the axle and the force tending to turn the rim and the inflation pressure from the tire.

The driven drum exacts a radial test load ($F_r$) on the wheel assembly during rotation while the tire exacts a predicted air pressure ($p_i$) on the rim flanges. According to the Association of European Wheel manufactures (EUWA) and the Society of Automotive Engineers (SAE), the radial test load ($F_r$) is computed as follows [8]:

$$F_r = k \cdot F_p \cdot g[N] \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  } \text{  }
Table 2. Summary of Parameters used for the Static Study

<table>
<thead>
<tr>
<th>S/No</th>
<th>Parameters</th>
<th>Symbols</th>
<th>Data</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>Radial test load</td>
<td>Fr</td>
<td>12301.74 N</td>
</tr>
<tr>
<td>2</td>
<td>Wheel design load</td>
<td>Fv</td>
<td>570 kgf</td>
</tr>
<tr>
<td>3</td>
<td>Accelerated test load factor</td>
<td>k</td>
<td>2.2</td>
</tr>
<tr>
<td>4</td>
<td>Acceleration due to gravity</td>
<td>g</td>
<td>10 m/s²</td>
</tr>
<tr>
<td>5</td>
<td>Tire pressure</td>
<td>pi</td>
<td>303.4 kPa</td>
</tr>
<tr>
<td>6</td>
<td>Element type</td>
<td>SOLID 187</td>
<td>SOLID 187</td>
</tr>
</tbody>
</table>

In finite element analysis, the software uses iterative methods to calculate the result at some selected boundaries, primarily the result calculated are elemental as well as nodal results. The governing equations are solved at these nodes. Generally, during this analysis process, the primary solution output is the displacement at the nodal points. However, other derived results such as stresses can also be obtained for the analysis at different nodal points. In this analysis, the static stress distribution is needed to perform the fatigue life prediction of the wheel assembly.

To estimate the true endurance limit at the critical location of the wheel disc ($S_e$), a mathematical model reported by Budynas [9] was used. The endurance limit was estimated to be $\leq 154.76$ MPa and $\geq 142.26$ MPa. A fatigue failure criterion for the fluctuating stress was also identified, which tends to affect the true fatigue endurance limit for the wheel component, thus, reducing the fatigue life. Using the same proposal by Budynas [9] the factors were determined to correct the fatigue endurance limit for the critical loading. The mean stress correction factor used is based on the Gerber theory. The constant amplitude loading generated from the simulation is shown in Figure 4 below.

Figure 4. Constant amplitude loading and Mean Stress Correction Factor

The stress life method of fatigue analysis involves the use of a Wohler S-N diagram to deduce the corresponding fatigue life at a given alternating stress amplitude on the plot. Thus, the S-N curve used in this analysis has been obtained by using empirical formulas report by Schijve [10] and comparing with the traditional S-N curve for a rotating steel beam specimen. Using interpolation the S-N curve was then applied to the ANSYS Workbench.

III. Result And Discussion

III.1. Static Study

From the finite element software, the result of the Von Mises stress distribution obtained from the static stress analysis is as shown in Figure 5. It shows that the maximum Von Mises stress occurred at the wheel forks. The region has a stress concentration due to non-uniformities and therefore, stress concentration factor. This analysis did not include the fillets at the wheel when determining the mathematical model. This was to avoid unnecessary factors that would negatively affect the result. The computational resources are also maximized when the geometry to be used for analysis is fully prepared to reflect actual geometries of the model and not fillets.
The point of maximum stress concentration factor as obtained from Figure 5 was used to determine the maximum stress, given as $\sigma_{\text{max}} = 163.6 \text{MPa}$. This fatigue failure observed may be caused by the alternation of the stresses as the wheel rotates.

### III.2. Fatigue Study

During the static analysis of the steel wheel, it was discovered that the maximum stress concentration ($\sigma_{\text{max}}$) occurred at the spokes and ventilation hole of the rim under loads Fr and $pi$. This point of maximum stress concentration was found to be identical with that of actual practical test results. The wheel rotating at a speed of 1790 rpm under the stated loads, fatigue crack propagation at the point of maximum stress concentration is observed as demonstrated in Figure 6. In addition, Figure 7 also shows the maximum deflection (deformation) of the wheel under the same loading conditions.
Figure 8 shows the range of the equivalent alternating stress used for the analysis of the fatigue stress correction factor. This was necessary in order to obtain the maximum number of cycles the wheel will undergo before failure.

![Figure 8. Equivalent Alternating Stress](image)

IV. Conclusion

The finite element based approach, using ANSYS, is an effective method of predicting the failure mode of an automobile wheel during the wheel design stage. Finite element-based stress analysis and fatigue life prediction obtained from the ANSYS software showed that the fatigue crack initiation regions on the wheel are subjected to stress concentration. Fatigue crack initiation occurs at the most stress concentrated regions of the wheel spokes and air ventilation holes which are the critical regions of the wheel. The predicted failure locations are identical to the actual crack initiation regions and are consistent with order reports [5].

Acknowledgement

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Reference